

# A 5% determination of the local black hole occupation fraction

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# Local BH occupation fraction ( $f_{occ}$ )

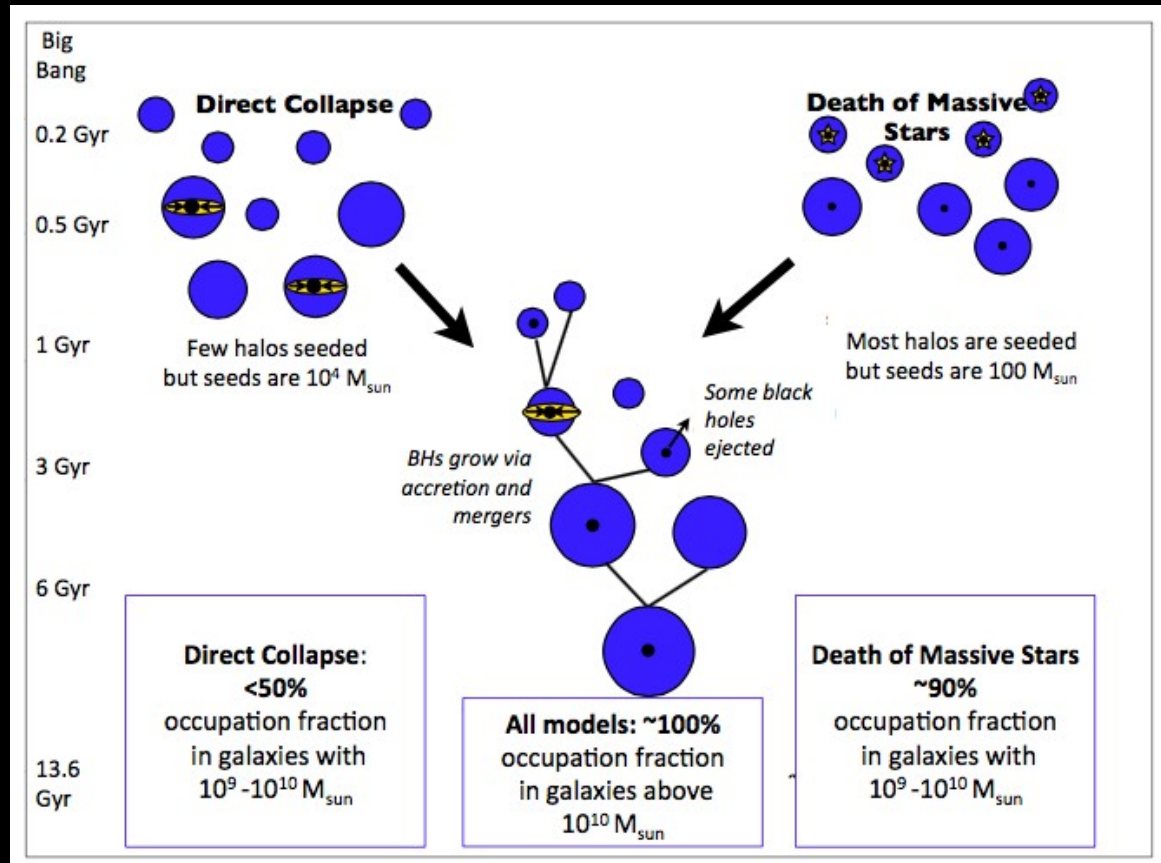
Adapted from Greene 201

Measure of  $f_{occ}$  in nearby, low mass galaxies:

- Provides  $z=0$  constraints to numerical simulation work, black hole mass function, and local scaling relations
- May discriminate dominant seed formation mechanism at high  $z$

Observationally need:

- Unbiased sample, clean accretion-powered activity diagnostics
- Broad stellar mass range
- Low Eddington ratios ( $\ll 1e-3$ )



# X-ray constraints

- Active fraction => **lower limit** to occupation fraction ( $f_{active} < f_{occ}$ )
- Observations of nearby active nuclei down to  $\sim 1e-8 L_{Edd}$  indicate a linear relation between  $\log(L_x)$  and  $\log(M_*)$ , with Gaussian scatter
- Since non detections could result from either insufficient sensitivity or the real absence of a BH, fitting simultaneously for the relation's slope and scatter allows to convert  $f_{active}$  into  $f_{occ}$

Miller+ 2015

<https://arxiv.org/abs/1403.4246>

1. Assess presence of a relation of the form  $L_x \propto A \times M_*^\alpha$  and intrinsic scatter  $\sigma$  for the observed sample.

2. Simulate  $n$  galaxies with same mass distribution and best-fitting  $L_x : M_{star}$  relation as the observed sample.

3. Assume occupation fraction model; Consider fractions bounded by:

$$f_{occ} \cong 0 \text{ for } M_{star} < 10^7 M_{sun}$$

$$f_{occ} \cong 1 \text{ for } M_{star} > 10^{10} M_{sun}$$

and probability of hosting a massive BH:

$$0.5 + 0.5 \times \tanh \left( 2.5^{|\log M_{star,0} - 8.9|} \log \frac{M_{star}}{M_{star,0}} \right)$$

4. Set detection threshold(s)  $\mathcal{L}_{xlim}$

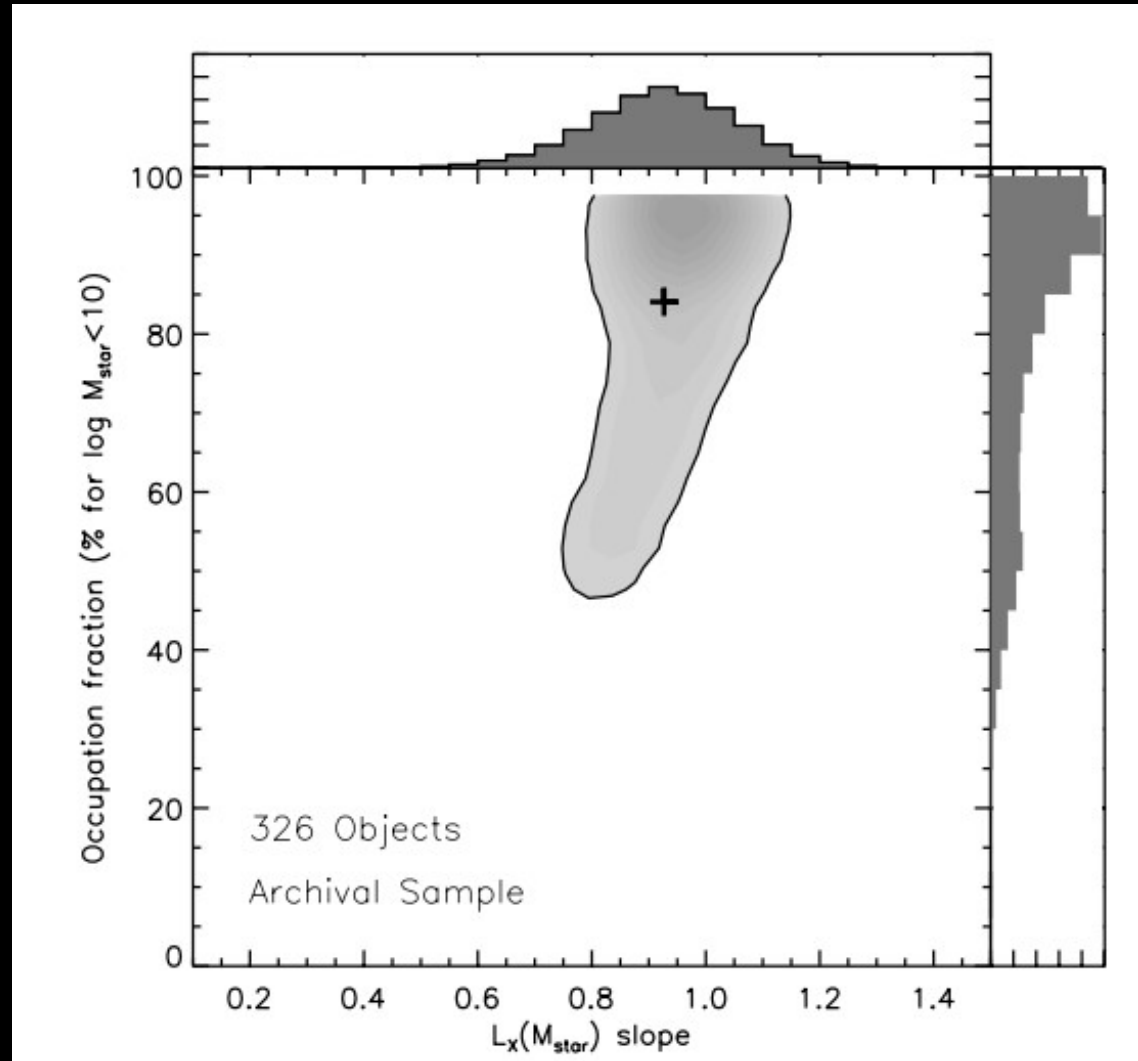
5. Populate simulated galaxies with BHs according to model curves, setting  $L_x \leq \mathcal{L}_{xlim}$  for galaxies with no BH.

6. Fit simulated sample for occupation fraction (via  $M_{0,star}$ ), and  $L_x : M_{star}$  relation (via  $A$ ,  $\alpha$ , and  $\sigma$ ).

# Occupation fraction vs. $L_x:M_*$ slope: Chandra constraints

- Posterior distribution of the  $L_x:M_*$  slope vs.  $f_{occ}$  for host stellar masses below  $M_* < 1e10 M_{sun}$
- $f_{occ} > 45\%$  (68% C.L.), with  $f_{occ} < 25\%$  being ruled out with 99% confidence (based on 326 nearby early types with Chandra imaging data)

Gallo, Wu+, in prep.



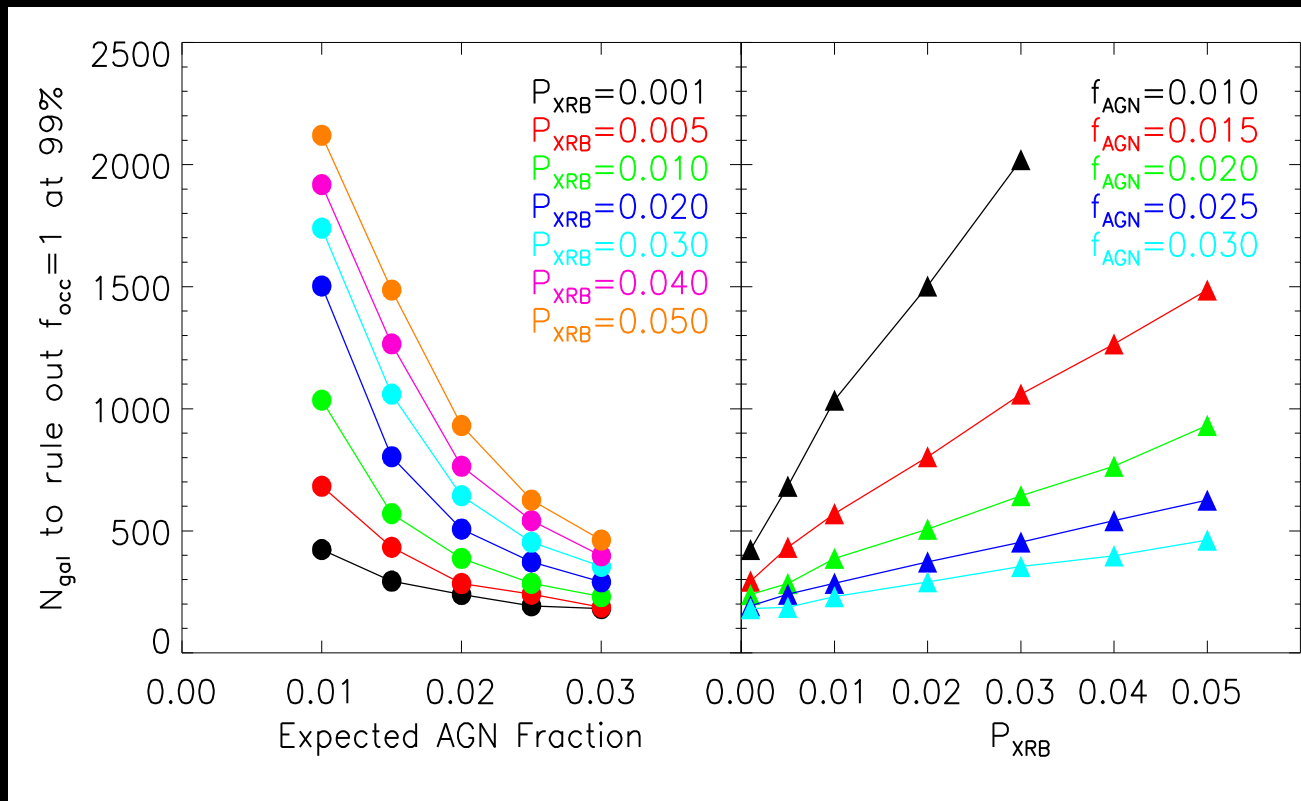
# XRB contamination

- Main complication is contamination from high Eddington ratio X-Ray Binaries (XRBs)

$$N_{\text{gal}}^{\text{need}} \propto P_{\text{XRB}} [(L_{X,\text{thresh}} - \bar{L}_X) / \sigma]^{-x}$$

$P_{\text{XRB}}$  depends on

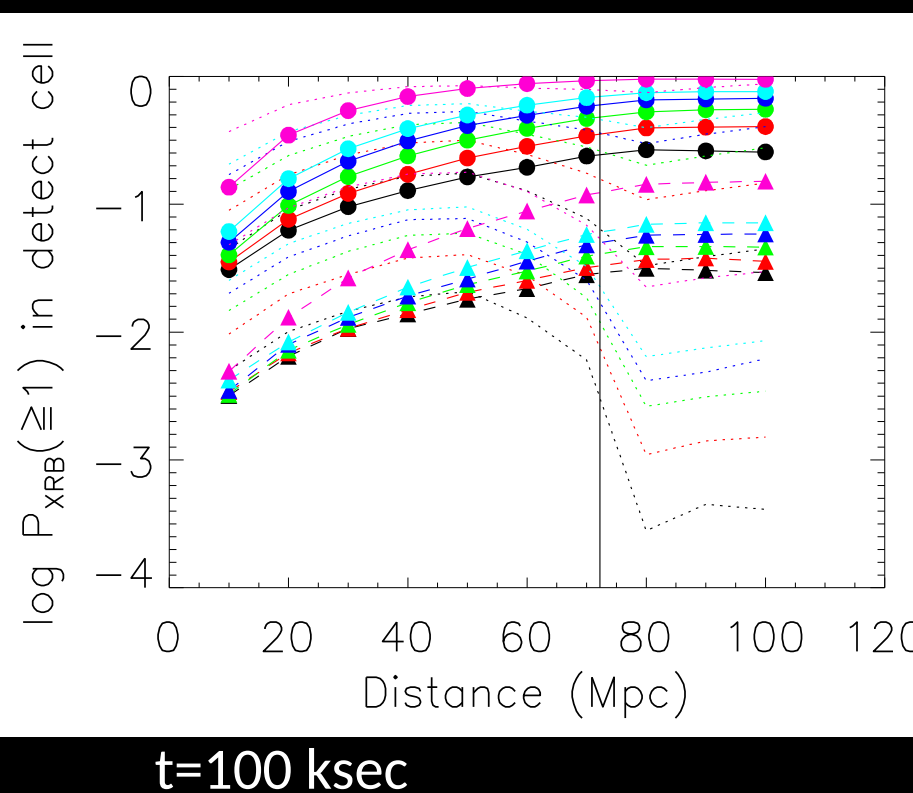
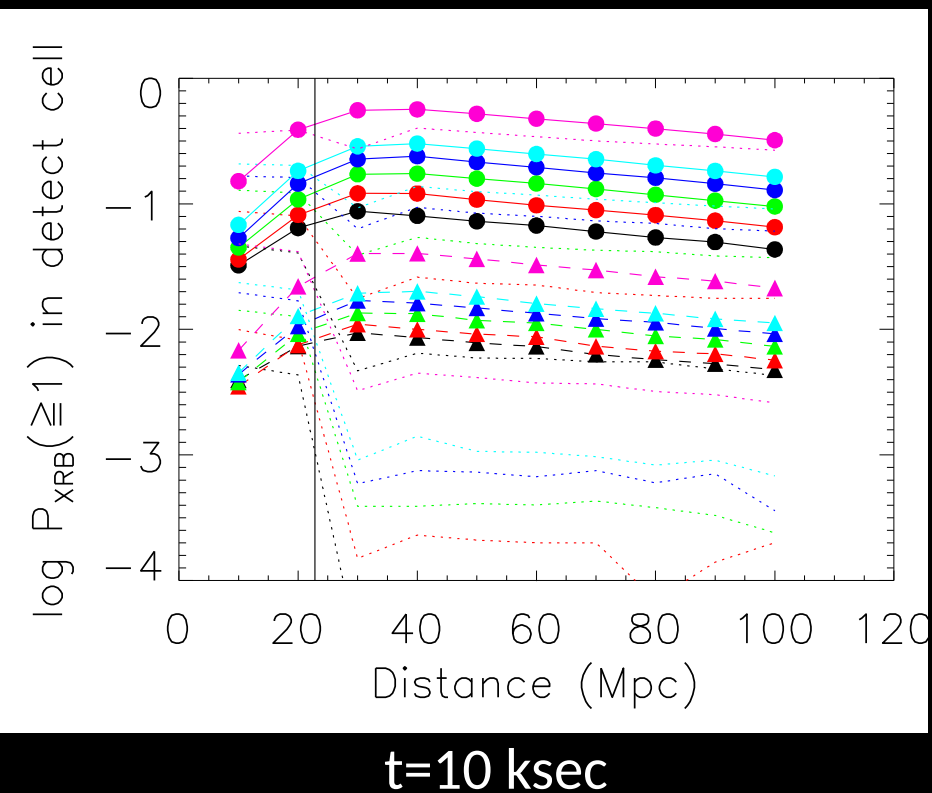
- fraction of enclosed light (which in turn depends on distance)
- sensitivity (in  $L_X$ )
- spatial and luminosity distribution of XRBs (well known; Lehmer+ 2010, 2014 and refs. therein)



# XRB contamination

- $10^5$  galaxies with tot.  $L_{X,XRB} = 9e28 (M_*/M_{\text{sun}})$  erg/s
- Likelihood of detecting at least 1 nuclear XRB for  $M_* = 1e9$  and  $1e10 M_{\text{sun}}$  galaxies (triangles and circles) as a function of distance and for resolution  $\theta[0.1-1]$  arcsec (different colors) assumes  $A_{\text{eff}} = 1\text{m}^2$  and 2 keV photon energy

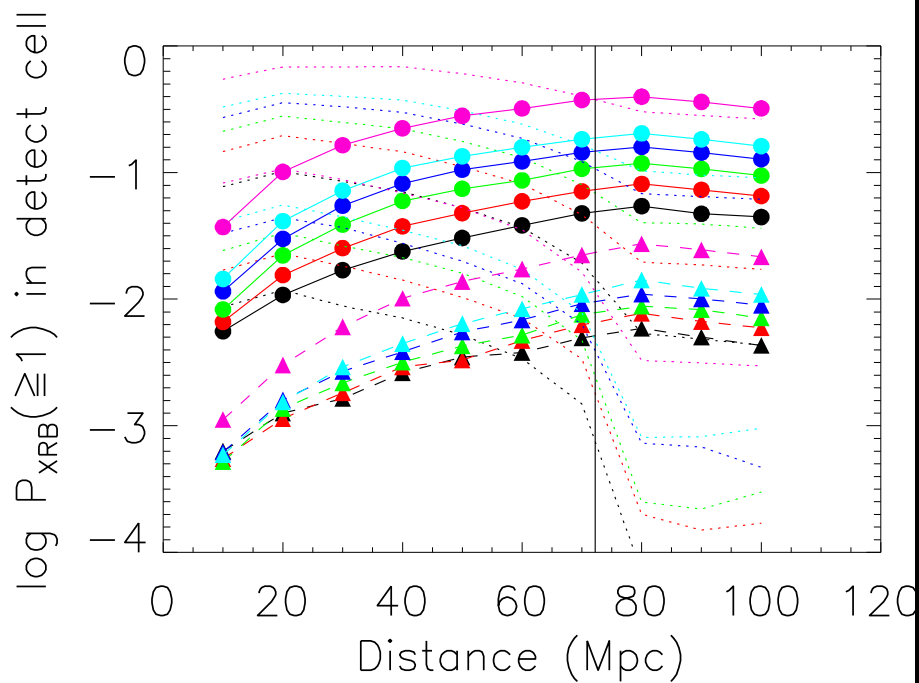
$$L_x = 1e37 \text{ erg/sec}$$



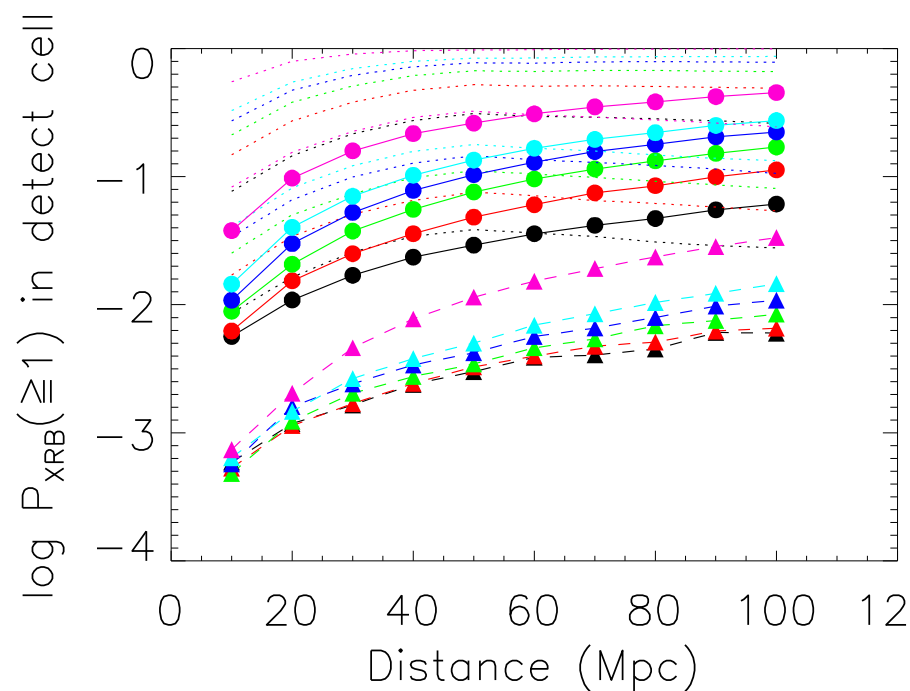
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$$L_x = 1e38 \text{ erg/sec}$$



$t = 10$  ksec



$t = 100$  ksec

# XRB contamination

In summary:

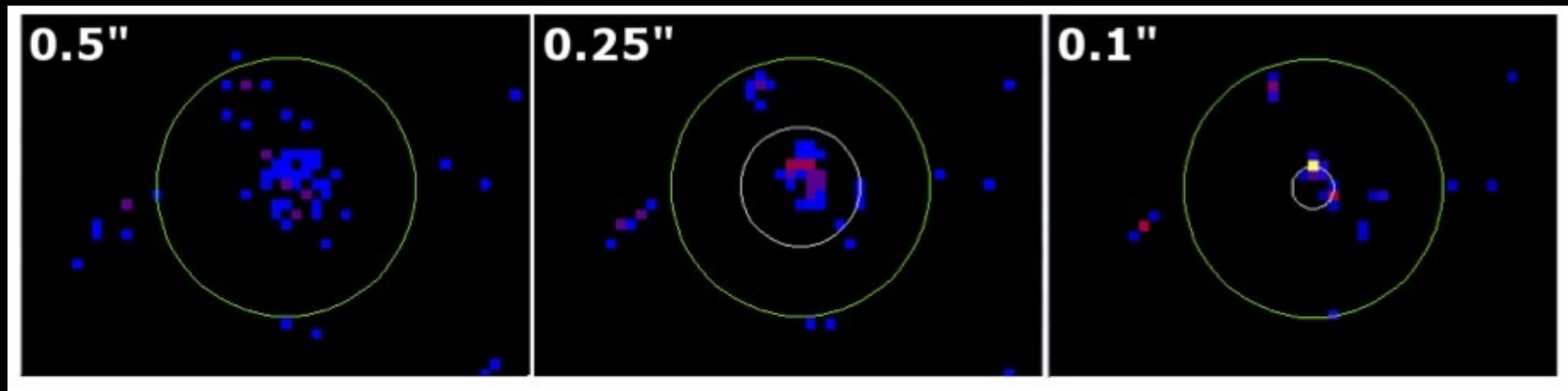
$$P_{\text{XRB}} \propto \theta \cdot t_{\text{exp}}^{-1/2} \cdot M_* \cdot d \cdot L_{\text{thresh}}^{-\beta}$$

Where  $\beta \sim 1$  for the adopted XLF and core radius

The exposure time dependence comes from resolving/rejecting more of the “glow”. Then:

$$N_{\text{gal}}^{\text{need}} \propto \theta \cdot t_{\text{exp}}^{-1/2} \cdot M_* \cdot d \cdot L_{\text{thresh}}^{-1} \cdot [(L_{X,\text{thresh}} - \bar{L}_X)/\sigma]^x$$

*Doubling the resolution halves the number of galaxies*



2 nuclear sources plus “glow”



# Lynx vs. Chandra

## Sensitivity:

- With  $\sim 50$  times greater  $A_{\text{eff}}$ , Lynx will make dramatic improvements for  $M_* < 1e9 M_{\text{sun}}$  galaxies, where XRB contamination is small at any  $\theta$  but where Chandra obs. are expensive.
- Improvements for high  $M_*$  galaxies less dramatic because  $P_{\text{XRB}}$  is higher for high  $M_*$  and increases linearly with distance.

## Resolution

- Higher resolution decreases the number of galaxies Lynx must observe—key because of the limited number within  $d < 25$  Mpc, where low  $L_{\text{X,thresh}}$  can be achieved for low masses in short exposures.

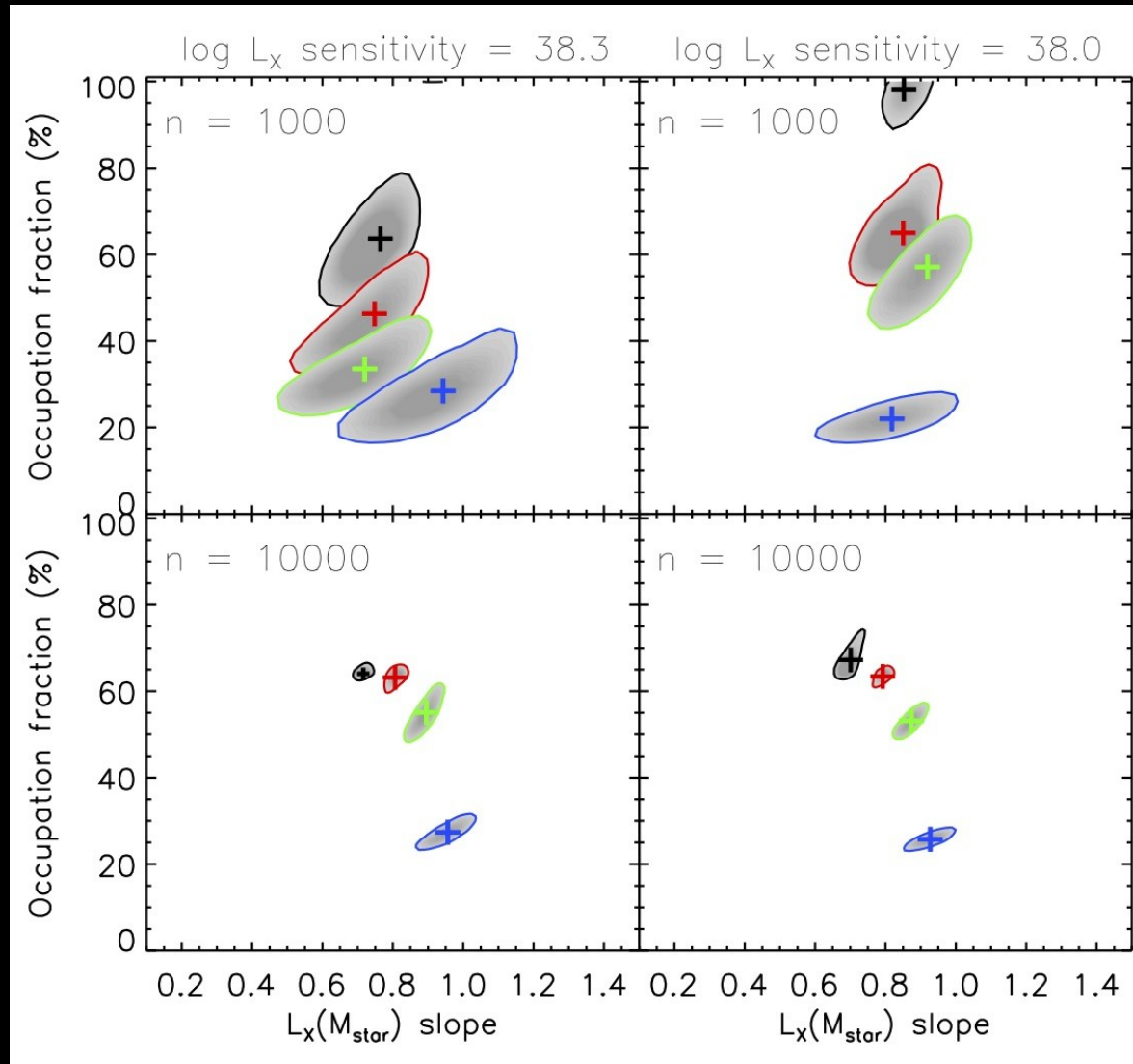
## Field of View

- Chandra PSF distortion leads to large off-axis detection cells (90% energy radius at 6' off-axis is  $\sim 4''$ , vs.  $1''$  for Lynx). Current distortion expected for Lynx peaks at  $\sim 1.3''$  at 12' off-axis, hence Lynx will have factor of  $\sim 9$  greater usable area.
- $< 0.5''$  is only achieved within the interior 4', but high resolution will be important for observations of galaxy clusters and groups.

# Galaxy sample and $f_{\text{occ}}$ accuracy

- Simulations do not account for  $P_{\text{XRB}}$ , which acts as a multiplier on  $N_{\text{need}}$
- Sample size can be reduced by using a mass-dep. sensitivity that is uniform in the distance from the mean for each bin

A minimum of  $\sim 3,500$  galaxies needed to achieve a 1-5% accuracy in  $f_{\text{occ}}$  with 0.1" res. (5-10% with 0.5")



# Program feasibility

$$N_{\text{gal}}^{\text{obs}} \propto d^3 A_{\text{sky}} \propto (A_{\text{eff}} t_{\text{exp}})^{3/2} R_{\text{HDXI}}^2$$

- Roughly 100,000 galaxy available within 100 Mpc (based on SDSS)
- For a Chandra-like observing plan, and including Virgo, Perseus, and Coma, we expect closer to 6,000 galaxies in Lynx fields with  $t_{\text{exp}} = 10$  ks
- After rejecting of irregulars, objects close to plane and starbursts, a rough estimate suggests about 4,000 useful targets within 100 Mpc
- This is a lower limit, but indicates that **<0.5 arcsec res. is needed to keep**  
 $N_{\text{need}} < N_{\text{obs}}$
- Better than Chandra resolution is only useful in the central 4 arcmin: While all of the Lynx F.O.V. is useful for  $<1e9 M_{\odot}$  galaxies, higher res. would primarily be useful for primary targets rather than serendipitous objects.

# Active fraction, downsizing & occupation fraction: modeling

- Simulate distribution of 50,000 galaxies (consistent with data)
- Probability of hosting a black hole:  
 $0.5 + 0.5 \tanh[\log M_* - \log M_{*,0}] \times 2.5^{|\log M_* - 8.9 - \log M_{*,0}|}$
- Impose sensitivity cut
- Fit simultaneously for
  - $L_x/M_*$  slope & intercept
  - $L_x/M_*$  intrinsic scatter
  - $M_{*,0}$
- Full Bayesian approach, errors & upper limits included

