

Distant Suns: Solar Flares as Proxies for Stellar Flares

SUMMARY

The solar corona has been a Rosetta stone directing our knowledge and understanding of stellar corona. Because it is proximity, the Sun can be observed in great detail, and detailed physical models derived from such observations are often used to explain stellar phenomena.

Large stellar flares are traditionally modeled as a single coronal loop evolving hydrodynamically (see, e.g., Reale et al. 1993). However, even though this model has been successful in modeling stellar flares, it must be noted that such a picture of a single evolving loop has no counterpart on the Sun. Flares are observed to be complex events, generally affecting large areas of an active region and resulting in post-flare loops that have a different magnetic topology compared to the pre-flare region.

Here we explore how the solar-hydro model can be adapted to describe a stellar flare. Because the environments are quite different (gravity, coronal plasma density, pressure scale height, size of active region in comparison to the size of the star), and many of the required quantities of interest are unmeasured (magnetic field strength, pass of the associated CME, height of the flare, footpoint separation). The model parameters cannot be directly fit to the Chandra light curves.

We have determined that this approach holds promise. The model light curves reproduce many features of the observed data (compare Figure 1 with Figure 4 and Figure 2 with Figure 3). Considerable explanatory work remains to be done yet to narrow down the possible parameters that may apply to the flare on Ross 154.

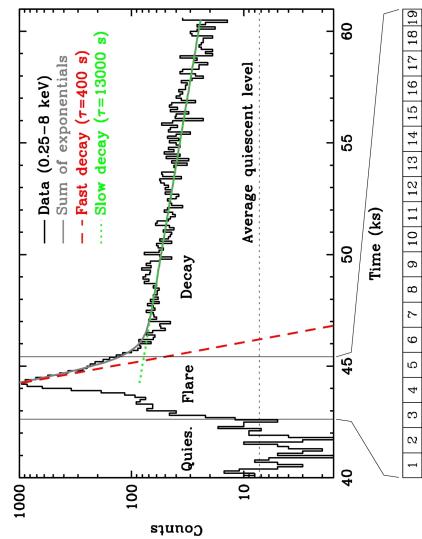


Figure 1: ACIS-S light curve of Ross 154 flare. The counts in 150 sec bins are shown over the time of the flare. The flare begins at 45.3 keV, reaches a maximum at 44.2 keV, and a later (lower) decay with $\tau = 3000$ sec. The duration of the flare is ~ 400 sec, and the fast decay is followed by another component that exponentially decays with a timescale of 4000 sec. The decay phase is long, with a decay rate of $\sim 10^2$ cm⁻³, which decreases to $n_e \approx 10^{10}$ cm⁻³ during the long decay phase (Waelkens et al. 2008). These are approximate estimates, calculated assuming a stable radiatively decaying loop.

A new scheme has been devised recently to explain the detailed behavior of solar flares and cascading loops in an arcade that are separately generated (Figure 3).

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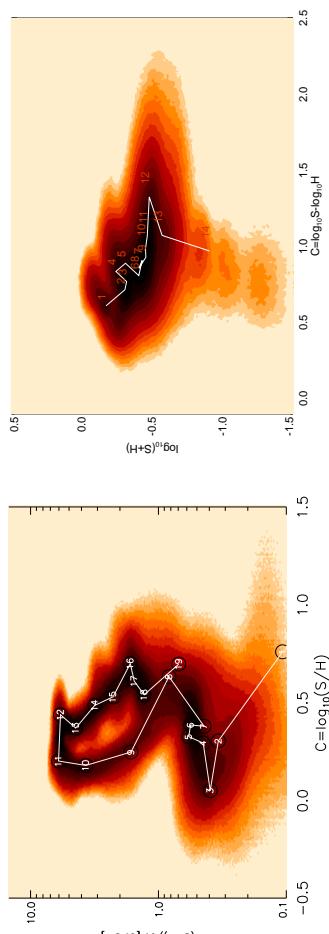


Figure 2: Color-intensity tracks for the Ross 154 flare. The solar is represented by the log ratio of the count in the soft ($\mathcal{E} = 0.25-1$ keV) to the hard ($\mathcal{H} = 2-8$ keV) band, and the intensity is the count ratio from the two bands. The shading represents the probability that the color and intensity have a given value, with darker shades representing higher probability. The images are obtained by averaging images at various bin sizes, and also cycle spin to account for the phase of the flaring. (a) The plot on the left shows the color/intensity track for the flare rise and fast decay phase. Bin sizes range from 40 to 400 sec were used. Overlaid on the shaded image is the evolutionary track of the flare, labeled by the numbers corresponding to those listed in the bottom of Figure 1. (b) The plot on the right shows the color/intensity track for the long decay phase. Bin size is 100 sec, and the overlaid track is for a bin size of 1000 sec. A clear pattern in the flaring plasma evolution can be seen, with a complex looping track during the early phase, followed by a slow and steady decline during the later phase. The plasma first rises in temperature and intensity, softens at the peak, and then starts decaying in temperature and intensity. Temperatures as high as 50 MK are reached.

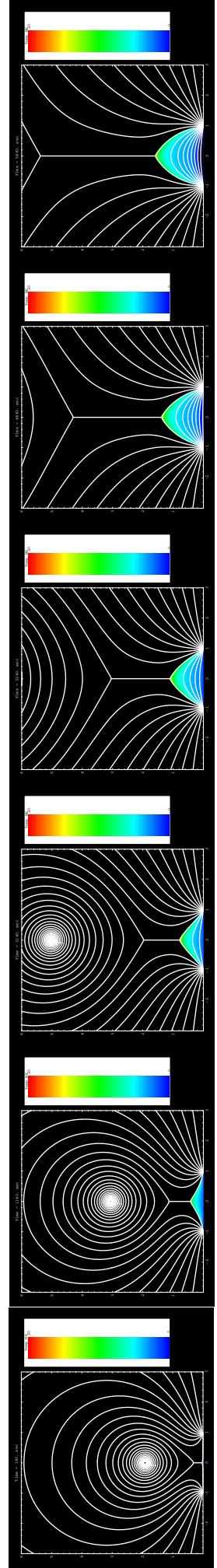


Figure 3: Evolution of an arcade after an eruption. Magnetic configurations for the loss-of-equilibrium solar eruption model are shown after the eruption and formation of the current sheet. The time elapsed after the formation of the X-point is shown on the top of each figure, and the plots are arranged in chronological sequence from left to right. The magnetic field structure is represented by the white lines. The temperatures of the plasma filling the loops is indicated by the color scale bar placed on the right. The Poynting flux swept into the current sheet determines the energy input into the reconnected flare loops. Temperatures and densities in the flare loops are calculated using the EBTEL model (Klimchuk et al. 2008). The parameters of the model are the magnetic reconnection rate represented by the Alfvénic Mach number M_A , the length scale of the footpoint separation λ_0 , and the strength of the background photospheric magnetic field, B_0 .

SOLAR ERUPTION AND LOOP ARCADES

The theoretical model used to generate flare light curves is devised as follows:

- A loss of equilibrium is initiated quasi-statically in a flux rope by moving the footpoints closer.
- When an eruption occurs, a current sheet forms underneath the flux rope.
- Flare loops are formed by reconnecting magnetic fields.
- The Poynting flux swept into the current sheet is assumed to fully thermalize.
- The thermal energy output is partitioned into an arcade of several hundred loops.
- The loops are currently assumed to fill sequentially at a steady rate.
- Average loop temperatures and densities are calculated using the EBTEL (Enthalpy-Based Thermal Evolution of Loops) model (Klimchuk et al. 2008).
- Spectra are generated using PINTofALE (Kashyap & Drake 2000) for the emission measure and temperature of each loop, and are folded in through the ARF and RMF of the Ross 154 observation to obtain predicted counts.

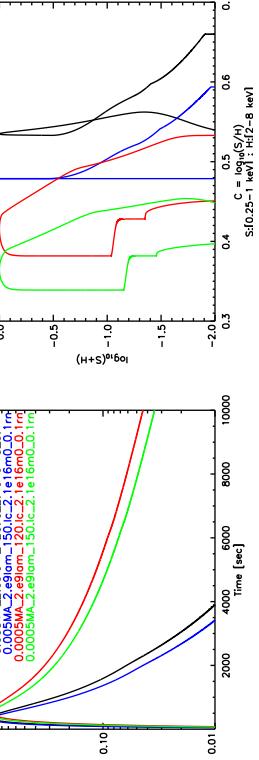


Figure 4: Model light curves and color-intensity tracks. The predicted response in ACIS-S is shown for four different models of the post-eruption arcade evolution. The models are: ($M_A = 0.005$, $\lambda_0 = 2 \times 10^9$ cm, $B_0 = 120$ G) (black) ($M_A = 0.0005$, $\lambda_0 = 2 \times 10^9$ cm, $B_0 = 120$ G) (red) ($M_A = 0.0005$, $\lambda_0 = 2 \times 10^9$ cm, $B_0 = 150$ G) (blue) ($M_A = 0.0005$, $\lambda_0 = 2 \times 10^9$ cm, $B_0 = 150$ G) (green). (a) The figure on the left shows the light curves over the 0.3-3.8 keV range, and show that the typical exponential decay is modified to appear more as though there are two decay components. The early fast decay is easily replicated, and the latter, longer decay can be achieved with a suitable low M_A . For instance, the $M_A = 0.0005$, $B_0 = 120$ G model curve can be treated as a combination of two successive exponential decays with $\tau = 800$ and 7000 sec. (b) The figure on the right shows the color-intensity tracks for the four models considered. A wide variety of behaviors are discernible, including those that match the observed tracks closely during the fast decay phase (Figure 2b). The passbands are defined in the same manner as before.